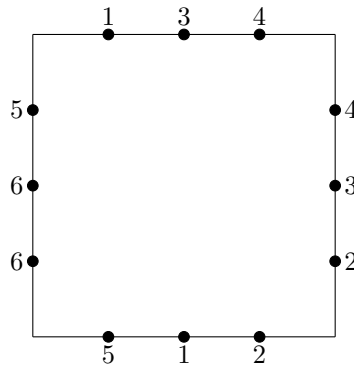


B. Wires

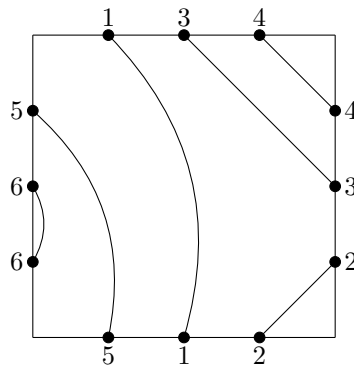
Time Limit: 1 second

Points: 100

Gilles is trying to wire a circuit board. There are four sides, each with n connection points labelled between 1 and $2n$. Each of these labels occurs exactly twice.



For each pair of connection points with the same label, Gilles wants to place a wire to connect them. These wires may be curved, but they cannot go off the board and they cannot overlap or cross each other.



Is it possible for Gilles to place all $2n$ wires as desired?

Input

The first line of input consists of one integer, n .

Four lines follow, the i th of which consists of n space-separated integers, $a_{i,1}, a_{i,2}, \dots, a_{i,n}$, representing the connection points on each side of the board,

listed **clockwise**.

Constraints

All input will satisfy the following constraints:

- $1 \leq n \leq 100,000$.
- For all $1 \leq i \leq 4$ and $1 \leq j \leq n$, $1 \leq a_{i,j} \leq 2n$.
- Each value $a_{i,j}$ appears exactly twice.

Output

Output YES if all pairs can be connected without crossing or leaving the board, or NO otherwise.

Subtasks

B1 (30 points): $1 \leq n \leq 1000$.

B2 (70 points): no restrictions.

Sample Input 1

```
3
1 3 4
4 3 2
2 1 5
6 6 5
```

Sample Output 1

```
YES
```

Sample Input 2

```
3
1 3 4
4 3 2
2 1 5
6 5 6
```

Sample Output 2

NO

Sample Input 3

```
5
3 7 2 2 8
9 9 8 7 4
1 6 6 1 4
3 10 5 5 10
```

Sample Output 3

YES

Explanation

Sample 1 is as pictured in the diagrams above.

In sample 2, it is impossible to join pair 5 and pair 6 without crossing wires.

In sample 3, all pairs can be connected without crossing wires.